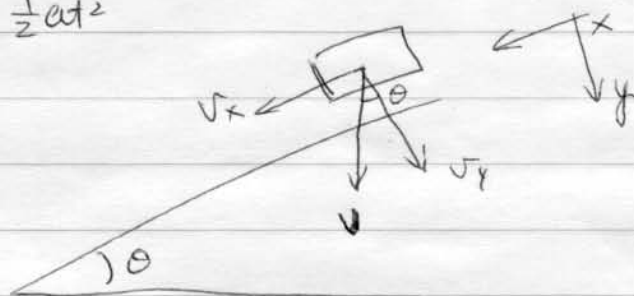


2. Before it hits the slope, the block drops freely

$$\begin{cases} v = at \\ a = g \\ h = \frac{1}{2}at^2 \end{cases} \Rightarrow v = \sqrt{2gh} = \sqrt{2 \times 9.8 \times 0.84} \doteq 4.06 \text{ m/s}$$



$$\begin{cases} v_x = v \sin \theta = \sqrt{2gh} \sin \theta \\ v_y = v \cos \theta = \sqrt{2gh} \cos \theta \end{cases}$$

So, right after it hits the slope, it moves in the x direction with original velocity $v_x = \sqrt{2gh} \sin \theta \doteq \cancel{1.39} 1.39 \text{ m/s}$

3. Chap 7. 14

4. Chap 7. 38

3. During a period of time Δt , there are $A\Delta t$ ($A = 100 \text{ bullets/min}$) bullets with momentum $p_1 = mA\Delta t v$ bounced back with $p_2 = -mA\Delta t v$.
So

$$|p_2 - p_1| = |F\Delta t| \Rightarrow 2mAv\Delta t = F\Delta t \Rightarrow F = 2mAv = 5 \text{ N}$$

4. The combined system has total momentum $P = (W+w)v_i$

If the man runs with a velocity v^{rel} relative to the car, then the car's velocity v_c satisfies.

$$\begin{cases} Wv_c + wv_m = P = (W+w)v_i \\ -v^{\text{rel}} = v_m - v_c \end{cases} \quad v_m \text{ is the man's velocity relative to the car}$$

$\Rightarrow v_c = \frac{(W+w)v_i + wv^{\text{rel}}}{W+W}$

$\uparrow$ minus sign comes from the fact that he runs to the left