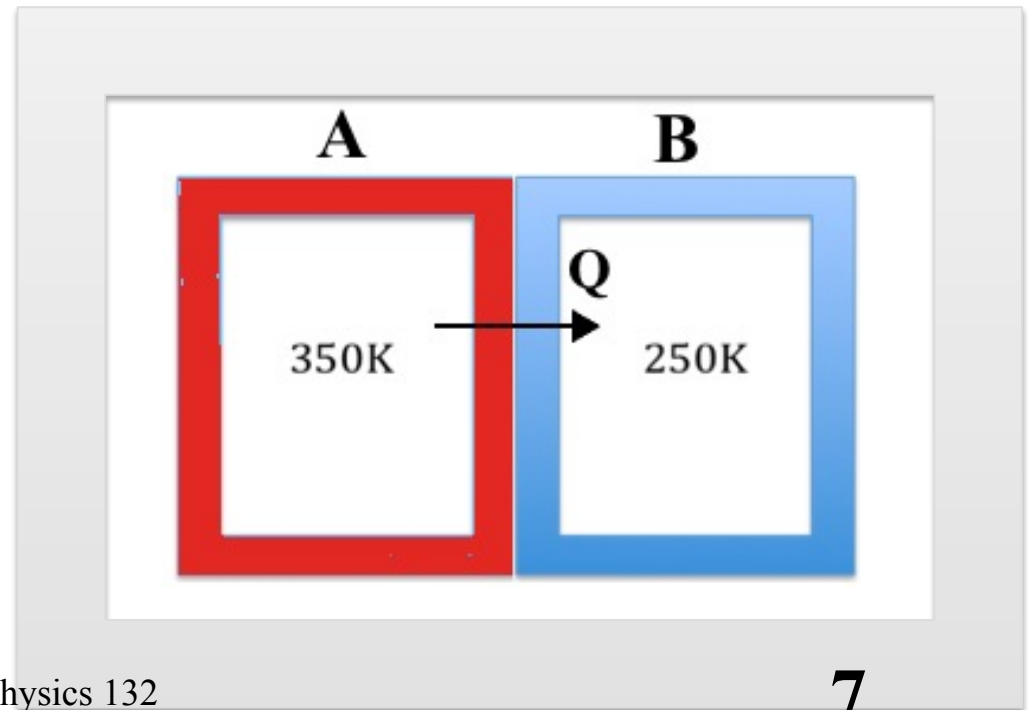




A small amount of heat Q flows out of a hot system A (350K) into a cold system B (250K). Which of the following correctly describes the signs of the entropy changes that result? (The systems are thermally isolated from the rest of the universe.)

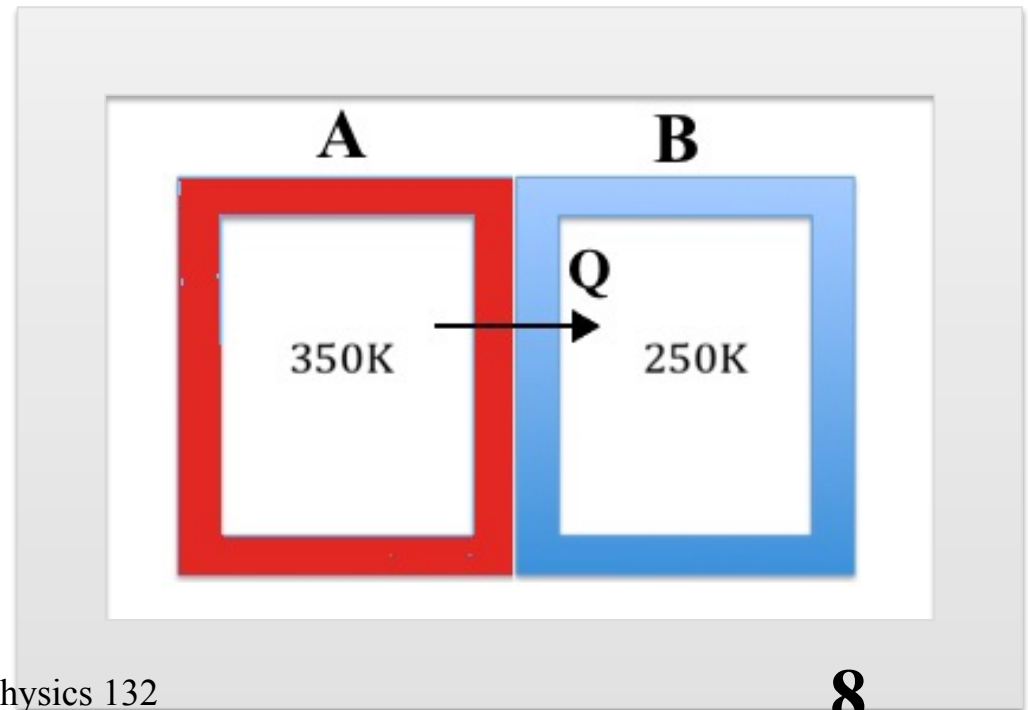
1. $\Delta S_A > 0$ and $\Delta S_B > 0$
2. $\Delta S_A < 0$ and $\Delta S_B > 0$
3. $\Delta S_A > 0$ and $\Delta S_B < 0$
4. $\Delta S_A < 0$ and $\Delta S_B < 0$
5. $\Delta S_A = 0$ and $\Delta S_B = 0$
6. Something else





A small amount of heat Q flows out of a hot system A (350K) into a cold system B (250K). Which of the following correctly describes the entropy changes that result? (The systems are thermally isolated from the rest of the universe.)

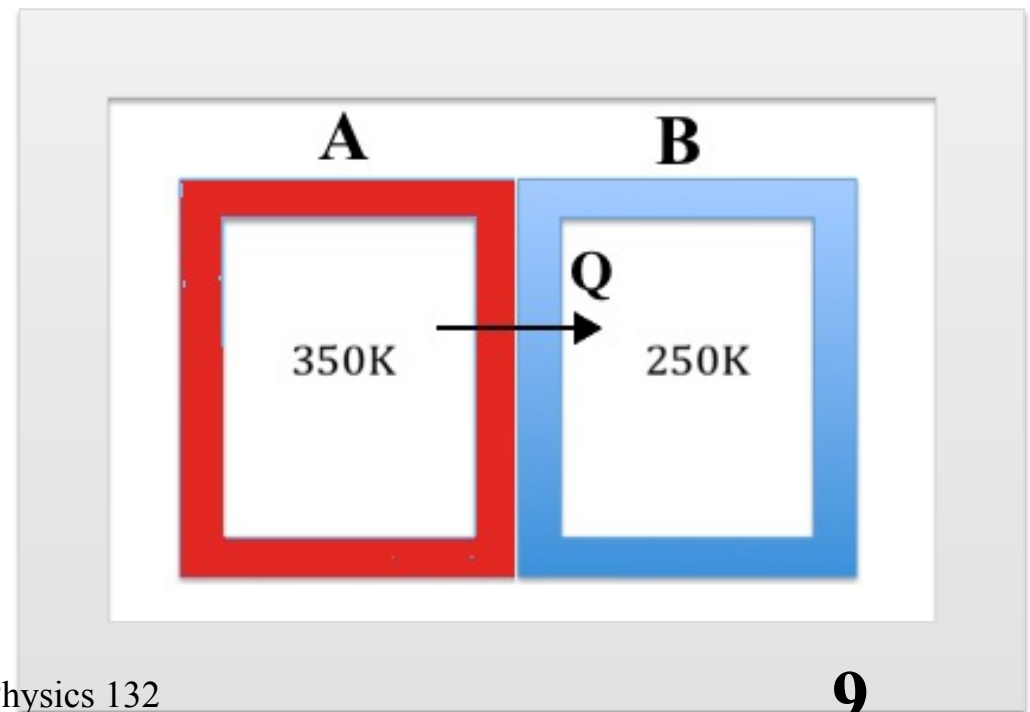
1. $|\Delta S_A| > |\Delta S_B|$
2. $|\Delta S_B| > |\Delta S_A|$
3. $|\Delta S_A| = |\Delta S_B|$
4. It cannot be determined from the information given





A small amount of heat Q flows out of a hot system A (350K) into a cold system B (250K). (The systems are thermally isolated from the rest of the universe.) Could this occur spontaneously?

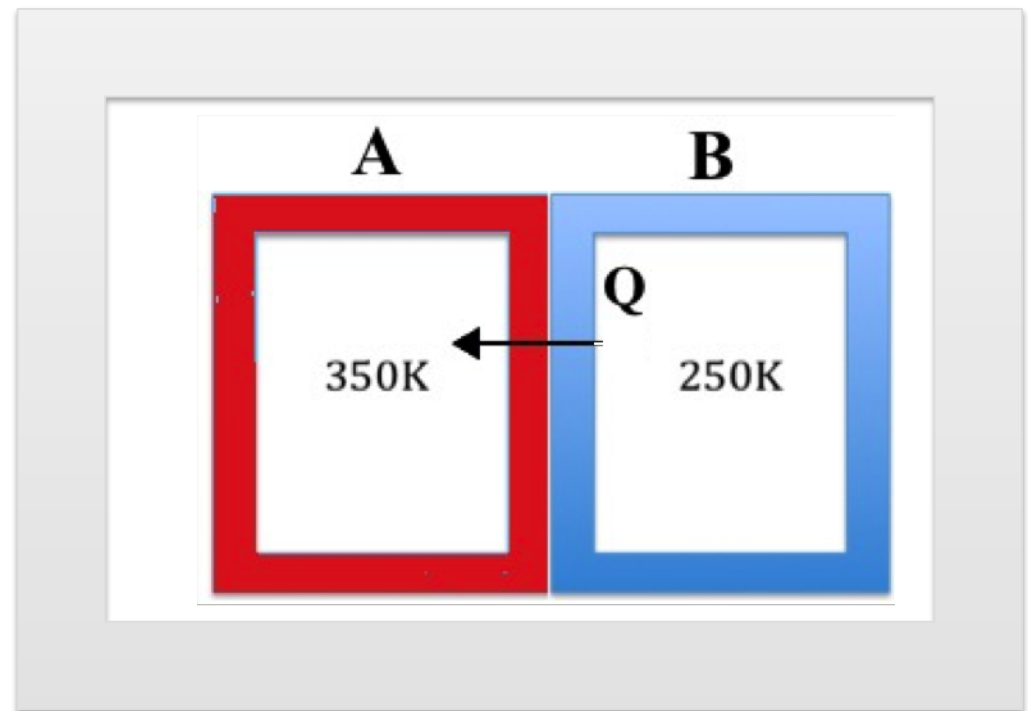
1. Yes
2. No
3. Yes if you put a heat pump between the two and plug it in. (So system is no longer isolated from the rest of the universe.)
4. It cannot be determined from the information given





A small amount of heat Q flows out of a cold system B (250K) into a hot system A (350K). Which of the following correctly describes the entropy changes of the system that result?

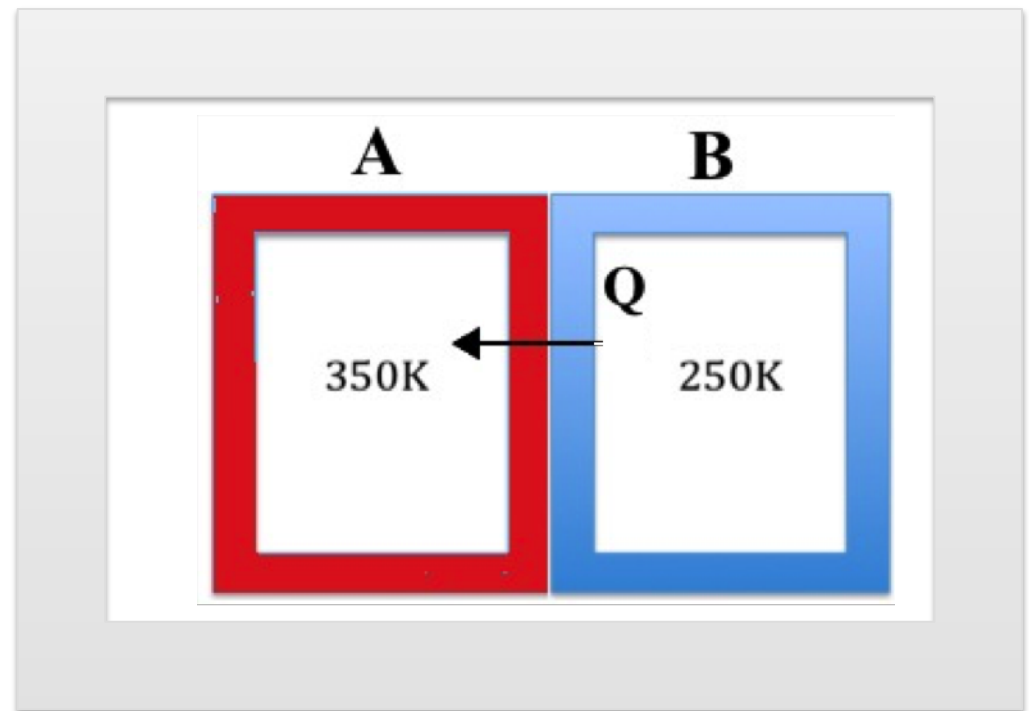
1. $|\Delta S_A| > |\Delta S_B|$
2. $|\Delta S_B| > |\Delta S_A|$
3. $|\Delta S_A| = |\Delta S_B|$
4. It cannot be determined from the information given





A small amount of heat Q flows out of a cold system B (250K) into a hot system A (350K). Could this occur spontaneously?

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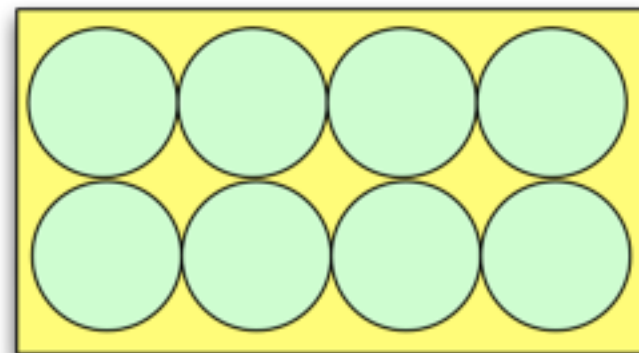


Suppose I have a block of that has 8 open “Degrees of Freedom” (bins in which to place energy that can only hold any number of energy packets).

I have 2 packets of thermal energy.

How many ways are there to distribute 2 packets?

(i.e., How many microstates are there?)

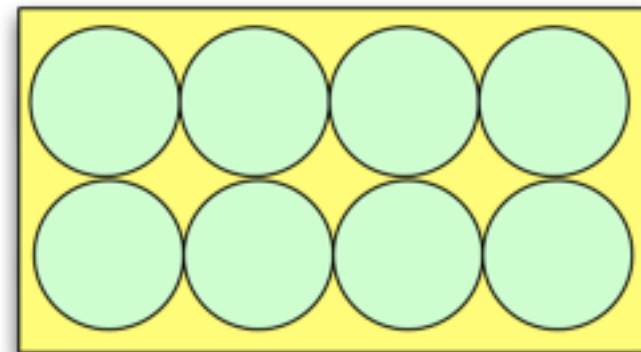


- | | |
|-------|----------------------------|
| 1. 16 | 6. 32 |
| 2. 15 | 7. 28 |
| 3. 8 | 8. Something else |
| 4. 64 | 9. It cannot be determined |
| 5. 56 | |



Suppose I have a block of matter with 8 two-state “Degrees of Freedom” (bins in which to place energy that can only hold 1 energy packet).

I have 2 packets of thermal energy.
How many ways are there
to distribute 2 packets?
(i.e., *How many microstates
are there?*)



- | | |
|-------|----------------------------|
| 1. 16 | 6. 32 |
| 2. 15 | 7. 28 |
| 3. 8 | 8. Something else |
| 4. 64 | 9. It cannot be determined |
| 5. 56 | |

Suppose I have a block of matter with N two-state “Degrees of Freedom” (bins in which to place energy that can only hold 1 energy packet).



I have 2 packets of thermal energy.
How many ways are there to distribute 2 packets?

1. $2N$
2. $2N-1$
3. N^2
4. $N(N-1)$
5. $N^2/2$
6. $N(N-1)/2$
7. Something else
8. It cannot be determined

