

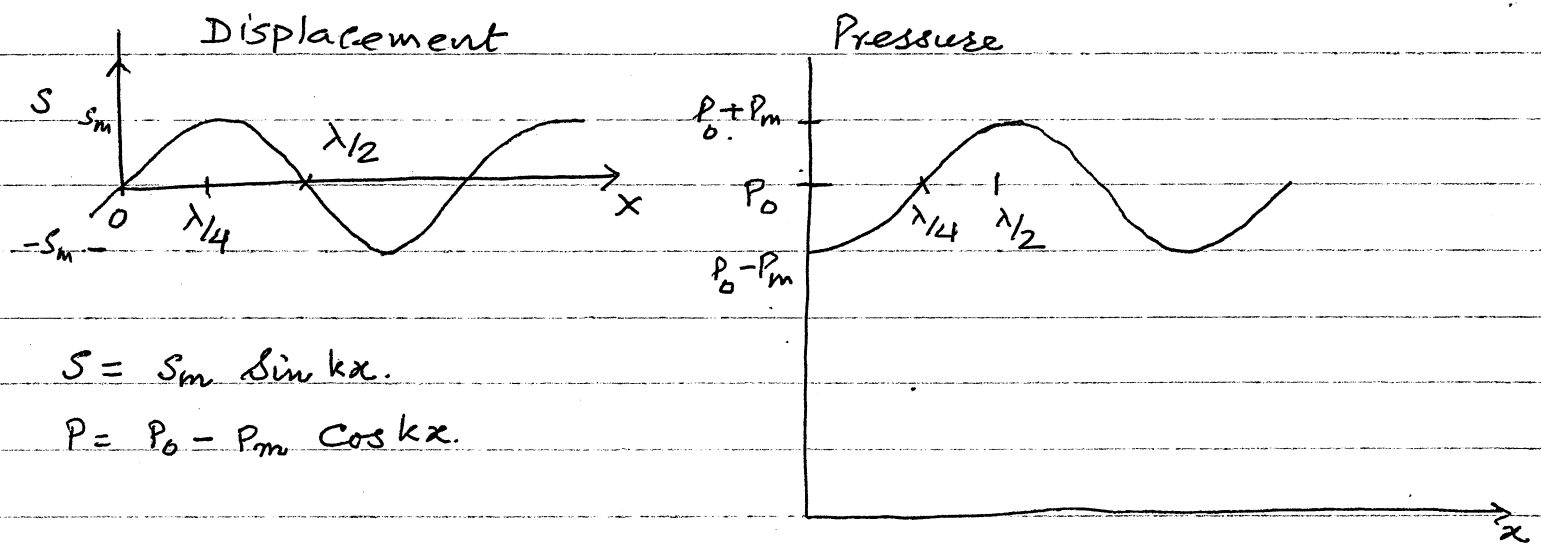
SPECIAL NOTE

DETAILED INTERPRETATION OF DISPLACEMENT AND PRESSURE CURVES IN A SOUND WAVE

OR

WHY IS PRESSURE VARIATION  $\frac{\pi}{2}$  OUT OF PHASE WITH DISPLACEMENT. AS A FUNCTION OF POSITION?

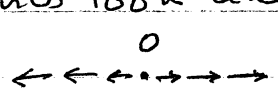
The curves are (at  $t=0$ ).



$S = S_m \sin kx.$

$P = P_0 - P_m \cos kx.$

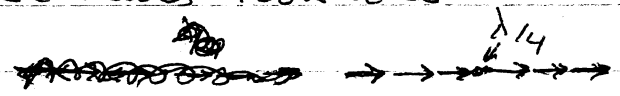
Near  $x=0$ , Displacements look like



ALL Displacements away from

That is displacements of particles increase rapidly as you go away from  $x=0$ . Consequently, gas is in expansion, that is why pressure is at a MINIMUM

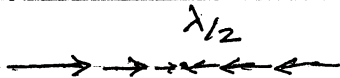
Near  $x = \frac{\lambda}{4}$ , Displacements look like



That is, all the displacements are nearly equal so there is little change in volume and hence P is at its equilibrium value. Deviation from  $\bar{P}$  is zero

Near  $x = \frac{\lambda}{2}$ .

Displacements look like.



Displacements are toward  $\lambda/2$  and increase as you go away from  $\frac{\lambda}{2}$  so these gas is <sup>in</sup> contracting and that is why pressure is at a MAXIMUM.

CRUCIAL Pt. is that change of volume and hence change of pressure happens only if displacement everywhere is not the same.