■Theme Music: John Williams

Learn about the Force (from Star Wars)

■Cartoon: Bill Amend

FoxTrot

Outline

- Recap of Newtonian Foothold Principles
- Properties of Forces
  - Gravity
  - Friction
  - Normal Force (ILD 3)
- Review of basic elements of trig
- Examples

Newton's Laws

- Newton 0:
  - Objects only feel forces when something touches them. An object responds to the forces it feels when it feels them – plus the non-touching force of gravity (so far).
- Newton 1:
  - An object that feels no unbalanced force keeps moving with the same velocity (which may = 0).
- Newton 2:
  - An object that is acted upon by other objects changes its velocity so that the acceleration is proportional to the net force and inversely proportional to the object's mass.

$$\vec{a} = \vec{F}^{net} / m$$

- Newton 3:
  - When two objects interact the forces they exert on each other are equal and opposite.

$$\vec{F}_{A\to B} = -\vec{F}_{B\to A}$$

Classification of Forces

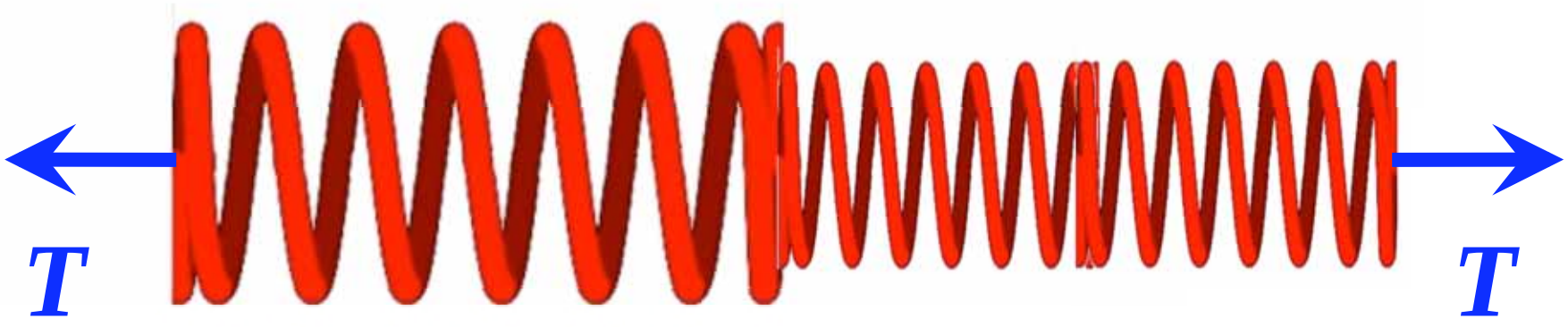
- Physical forces are what two objects do to each other that tends to change each other's velocity.
- Touching forces
  - perpendicular to the surface and pressing in (NORMAL – N)
  - hooked to the surface and pulling out (TENSION – T)
  - parallel to the touching surfaces and opposing the relative motion of the surfaces (FRICTION – f)
- Non-touching forces
  - the earth pulling an object down (GRAVITY – W)

$$\vec{F}_{A\to B} \quad \text{where } F \text{ is either } N, T, f, \text{ or } W$$

Springs

- What fraction of the total stretch does each spring stretch?
- How do you know?

$$T = k\Delta s$$



k_1 (large) k_2 (small)

The friction relation

- When the surfaces are not sliding on each other (but something is trying to make them slide), the friction force may take any value up to a maximum.

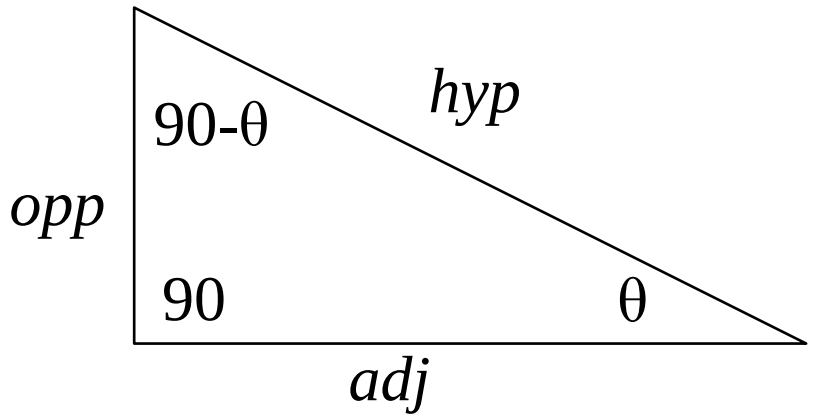
$$f_{A\to B} \le f^{\max}_{A\to B} = \mu^{static}_{AB} N_{A\to B}$$

- When the surfaces are sliding on each other, the friction force is a constant value (usually a bit less than the maximum possible).

$$f_{A\to B} = \mu^{kinetic}_{AB} N_{A\to B} \qquad \mu^{kinetic}_{AB} \le \mu^{static}_{AB}$$

Review of Trig: 1

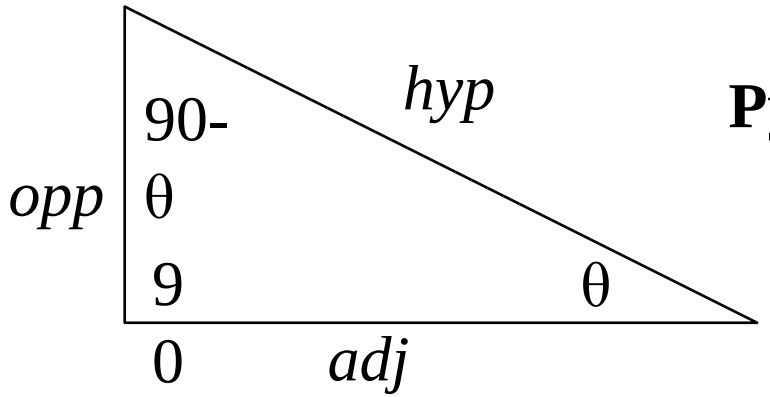
- Trig is based on a small number of principles:
  - The sum of the angles of a triangle is 180^o.
  - The Pythagorian theorem
  - Every right triangle with the same angles is similar (has the same ratio of its sides).



Although *opp*, *adj*, and *hyp* all depend on the size of the triangle, the ratios *opp/adj*, *opp/hyp*, and *adj/hyp* only depend on itsshape (that it, on θ) .

Review of Trig: 2

$$\sin\theta = \frac{opp}{hyp} \qquad \cos\theta = \frac{adj}{hyp} \qquad \tan\theta = \frac{opp}{adj}$$



Pythagorian theorem:

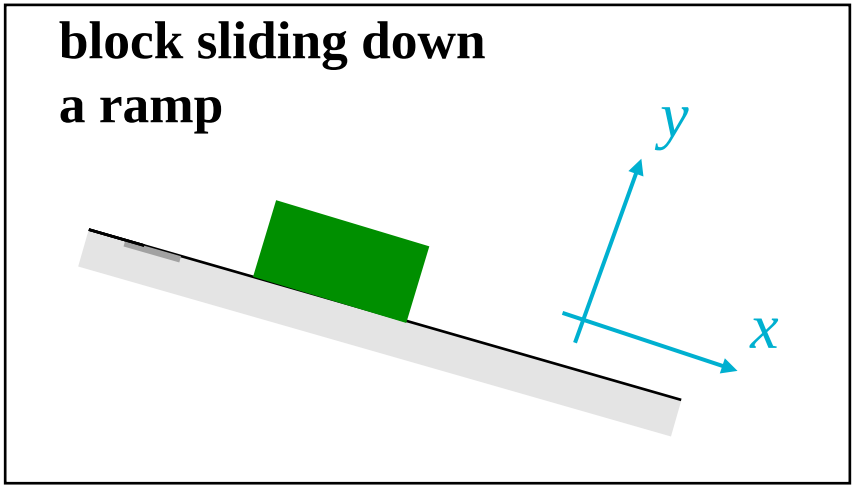
$$(adj)^2 + (opp)^2 = (hyp)^2$$

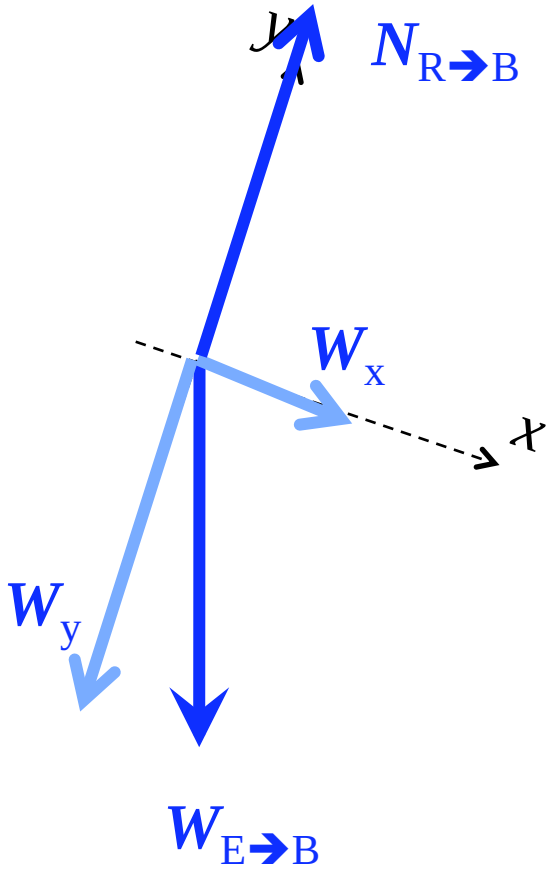
or

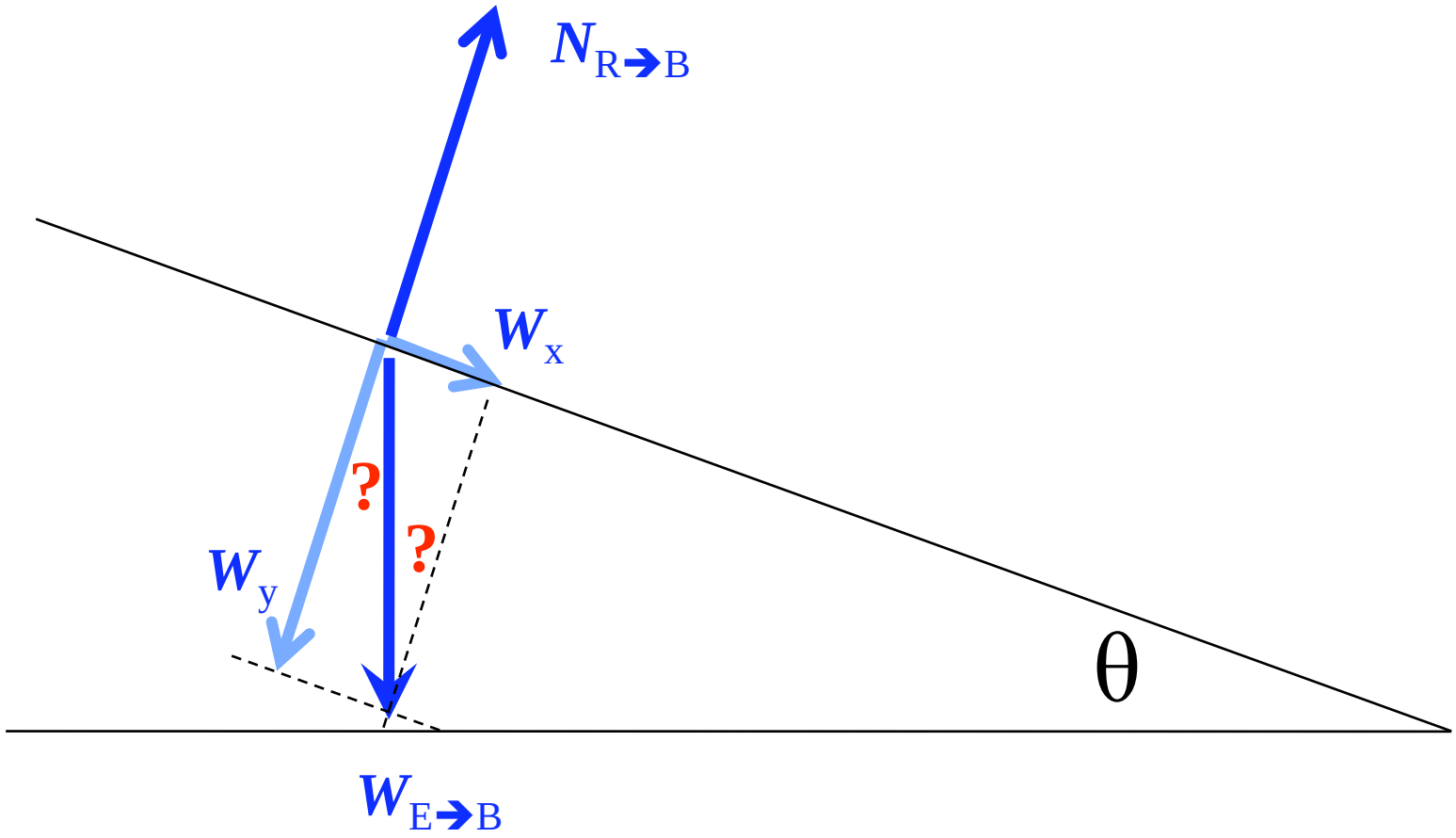
$$\sin^2\theta + \cos^2\theta = 1$$

Physics geometry heuristic: If you are drawing a diagram that is controlled by a single angle θ, and the rest of the lines are constructed as perpendiculars to the original or later lines, then the only angles in the diagram are θ, 90-θ, and 90 –- and it's easy to tell which is which.

What is the acceleration of a block sliding down a ramp?





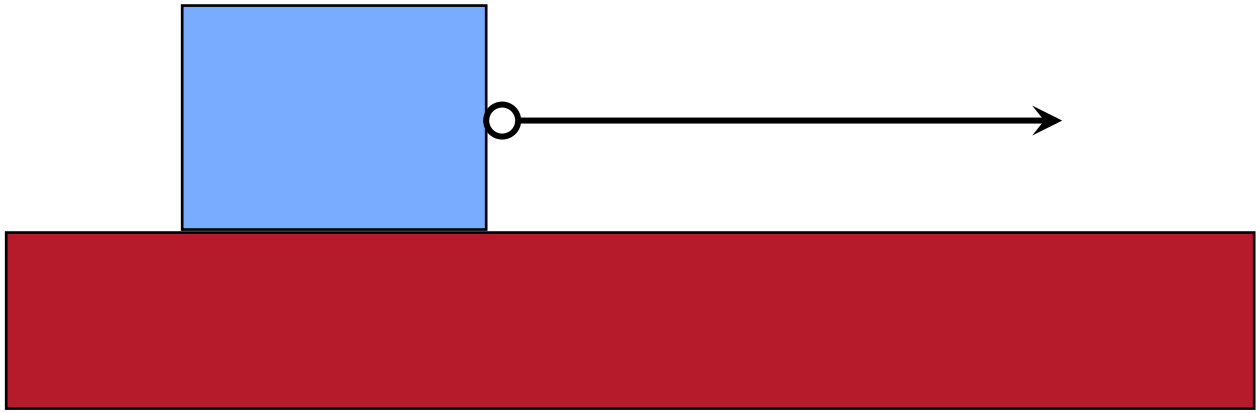

$N_{R\rightarrow B}$
W_x
?
?
W_y
θ
$W_{E\rightarrow B}$

Example

Start from rest

Increase force until box starts moving

Pull so it goes at a constant speed



Graph: position velocity acceleration

net force applied force friction force

- Rebecca has put her puppy, Molly, on a skateboard, and has attached a rope to the skateboard in order to give Molly a ride. At time $t = 0$, Rebecca starts pulling on the rope. She is pulling upward at an angle of 37^o. Once she is up to speed (at time t_1), she runs along at a constant rate until a time t_2. A little after that, her mother yells at her and she stops.

- (a) While Rebecca is pulling, draw free-body diagrams for Molly and the skateboard.
- (b) Sketch appropriate graphs representing Molly's position, velocity, acceleration, and the friction force Molly is experiencing.